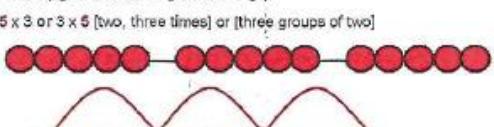
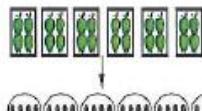
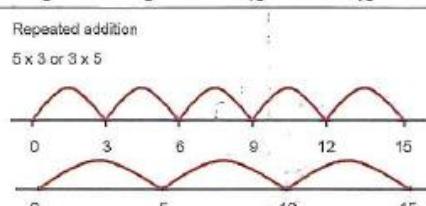
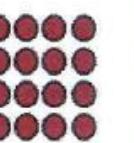


Multiplication

TATUTORIAL REQUIREMENTS

					Rapid Recall/Mental Calculations	Non-statutory guidance
Children ... solve problems, including doubling, halving and sharing. [Expected] Solve practical problems that involve combining groups of 2/5/10. [Exceeding]	Practical/recorded using ICT (eg digital photos / pictures on IWB) How many 10p coins are here? How much money is that? This domino is a double 4. How many spots does it have?	Pictures/Objects How many socks in three pairs? 	Symbolic 3 pairs, 2 socks in each pair: 			
Solve one-step problems using concrete objects, pictorial representations and arrays (<i>with the support of the teacher</i>)	Practical/recorded using ICT Pictures/Symbolic There are five cakes in each bag. How many cakes are there in three bags? 	Visual (eg modelled using bead strings) 5 x 3 or 3 x 5 [two, three times] or [three groups of two]  0 5 10 15	Arrays 5 x 2 or 2 x 5 		Doubling numbers/quantities Count on/back in 2s, 5s and 10s	
Calculate statements for multiplication within the multiplication tables and write them using the multiplication and equals signs. -- [Show multiplication of two numbers can be done in any order.]	Pictures/Symbolic There are four apples in each box. How many apples in six boxes. 	Pupils use a variety of language to describe multiplication.	Repeated addition 5 x 3 or 3 x 5  0 3 6 9 12 15	Arrays 8 x 4 or 4 x 6 	Recall and use multiplication facts for the 2, 5 and 10 multiplication tables, (including recognising odd and even numbers). Use commutativity/inverse relations to develop multiplicative reasoning (eg $4 \times 5 = 20$ and $20 - 5 = 4$).	Pupils ... practise to become fluent in the 2/5/10 multiplication tables and connect them to each other. They connect the 10x table to place value, and the 5x table to divisions on the clock face. They begin to use other multiplication tables and recall facts, including using related division facts to perform written and mental calculations.
Write/calculate statements using the multiplication tables that they know (progressing to formal written methods). TU x U (multiplier is 2/3/4/5/8/10)	$36 \times 4 = 144$ 	$36 \times 4 = 144$ $30 \times 4 = 120$ $6 \times 4 = 24$	$36 \times 4 = 144$ $\begin{array}{r} 36 \\ \times 4 \\ \hline 144 \end{array}$	$36 \times 4 = 144$ $\begin{array}{r} 36 \\ \times 4 \\ \hline 144 \end{array}$	Pupils develop reliable written methods for multiplication, starting with calculations of TU by 1 (progressing to formal written methods of short multiplication).	Through doubling, they connect the 2/4/8 multiplication tables. Pupils develop efficient mental methods, using commutativity (eg $4 \times 12 \times 5 = 4 \times 5 \times 12 = 20 \times 12 = 240$) and multiplication and division facts (eg using $3 \times 2 = 6$, $6 \div 3 = 2$ & $2 = 6 \div 3$) to derive related facts ($30 \times 2 = 60$, $60 \div 3 = 20$ & $20 \div 3 = 60 \div 3$).
Use formal written layout: TU x U HTU x U Convert between different units of measure (eg km to m; hr to min)	$43 \times 6 = 258$ (estimate: $40 \times 6 = 240$) $40 \times 6 = 240$ $3 \times 6 = 18$ Convert between different units of measure (eg km to m; hr to min)	43×6 $\begin{array}{r} 43 \\ \times 6 \\ \hline 26 \quad (3 \times 6) \\ 240 \quad (40 \times 6) \\ \hline 258 \end{array}$	$24 \times 6 = 144$ $\begin{array}{r} 24 \\ \times 6 \\ \hline 144 \end{array}$	$342 \times 7 = 2394$ $\begin{array}{r} 342 \\ \times 7 \\ \hline 2100 \quad 280 \quad 14 \end{array}$	237×4 (estimate: $250 \times 4 = 1000$) $\begin{array}{r} 237 \\ \times 4 \\ \hline 948 \end{array}$	Recall multiplication facts to 12×12 . Use place value, known & derived facts to multiply mentally, including \times by 1; \times 3 numbers. Recognise/use factor pairs and commutativity in mental calculations. Pupils use multiplication to convert from larger to smaller units.
Use a formal written method (including long \times for TU nos) TU x TU HTU x U/HTU x TU ThHTU x U Convert between units of measure (eg km/m; m/m; cm/mm; kg/g; litre and ml)	$47 \times 36 = 1692$ (estimate $50 \times 40 = 2000$) $\begin{array}{r} 47 \\ \times 36 \\ \hline 28 \quad (7 \times 4) \\ 120 \quad (20 \times 4) \\ 30 \quad (7 \times 30) \\ 600 \quad (20 \times 30) \\ \hline 1692 \end{array}$	$27 \times 34 = 918$ (estimate $30 \times 30 = 900$) $\begin{array}{r} 27 \\ \times 34 \\ \hline 28 \quad (7 \times 4) \\ 80 \quad (20 \times 4) \\ 210 \quad (7 \times 30) \\ 600 \quad (20 \times 30) \\ \hline 918 \end{array}$	$2741 \times 6 = 16446$ (estimate $3000 \times 6 = 18000$) $\begin{array}{r} 2741 \\ \times 6 \\ \hline 16446 \end{array}$	$24 \times 16 = 384$ (estimate $25 \times 15 = 375$) $\begin{array}{r} 24 \\ \times 16 \\ \hline 144 \\ 240 \\ \hline 384 \end{array}$	$124 \times 26 = 3224$ [see Y8] $\begin{array}{r} 124 \\ \times 26 \\ \hline 744 \\ 248 \\ \hline 3224 \end{array}$	Pupils connect multiplication by a fraction to using fractions as operators (fractions \times) and to division. This relates to scaling by simple fractions, including those $\frac{1}{2}$ and $\frac{1}{3}$. Find fractions of numbers and quantities; writing remainders as a fraction.
Multiplication of up to 4 digits \times TU whole number using the formal method of long multiplication. Multiply one-digit numbers with up to two decimal places by whole numbers	$256 \times 18 = 4608$ (estimate $250 \times 20 = 5000$) $\begin{array}{r} 256 \\ \times 18 \\ \hline 18 \quad (2 \times 8) \\ 20 \quad 48 \\ 25 \quad 60 \\ 46 \quad 08 \end{array}$	124×26 $\begin{array}{r} 124 \\ \times 26 \\ \hline 744 \\ 248 \\ \hline 3224 \end{array}$	$47 \times 8 = 37.6$ (estimate $5 \times 8 = 40$) $\begin{array}{r} 47 \\ \times 8 \\ \hline 376 \end{array}$	$5.65 \times 9 = 50.85$ (estimate $6 \times 9 = 54$) $\begin{array}{r} 5.65 \\ \times 9 \\ \hline 50.85 \end{array}$	Use a variety of images to support understanding of x with fractions. Use understanding of relationship between unit fractions and \div to work backwards by \times a quantity that represents a unit fraction to find the whole quantity (eg if $\frac{1}{4}$ of a length is 36cm, whole length $36 \times 4 = 144$ cm). x numbers with up to 2dp by UVTU whole nos (starting with simplest cases eg $0.4 \times 2 = 0.8$, and in practical contexts). Identify value of each digit to 3dp and x nos by 10/100/1000 (ans to 3dp)	Perform mental calculations, including with mixed operations/large numbers. Identify common factors/multiples and prime numbers. Use knowledge of order of operations to carry out calculations. Use estimation to check answers to calculations and determine an appropriate degree of accuracy. Identify value of each digit to 3dp and x nos by 10/100/1000 (ans to 3dp)
			[Or 47 x 8, then divide the solution by 10.]			Undertake mental calcs with increasingly large numbers and more complex calculations. Continue to use all x tables to calculate statements in order to maintain their fluency. Explore the order of operations using brackets. Common factors can be related to finding equivalent fractions.